

**Advances in Engineering Design Technology** 

Journal homepage: www.nipesjournals.org.ng



# **Regression Formulas for the Prediction of Optimum Tank Capacities of Gas Carrier Ships from Exiting Ships Data**

*This paper present 18 regression equations for the computation of optimum gas tank capacity for a wide range of gas carrier vessels. This presentation is to ensure that the optimum total gas carrying capacity of a projected or existing gas carrier vessel with known principal dimensions is adequately computed. The method is authenticated by comparing the tank capacities it predicts, with that of 15 randomly selected existing gas carrier ships. The method presented is important to assure that a projected design of this type of ship meet owner's requirement regarding total gas tank capacity, to provide for optimization in ship design and to assist in ship design software* 

#### *Stephen Chidozie Duru*

Marine Engineering Department, Niger Delta University, Wilberforce Island, P.M.B 071, Bayelsa State Nigeria **E-mail: drscduru@gmail.com**

*development.* 

#### **ARTICLE INFORMATION ABSTRACT**

*Article history*: Received 13 November 2022 Revised 01 December 2022 Accepted 26 December 2022 Available online 29 Dec. 2022

*Keywords*: *Gas- tankers, design, Regression, formulas, tank-capacity, dimensions, design.*

https://doi.org/10.5281/zenodo.7491631

## **1. Introduction**

The ship type originating in the early 1930's for the transportation of gaseous cargo products such as Liquefied Natural Gas LNG, LPG, ethane, carbon dioxide, etc are called Gas Carrier ships or gas tanker ships [1]. Normally ship design spiral process start with the owner's requirements stated as cargo capacity (metric tonnes,  $(m<sup>3</sup>)$  or units), or deadweight(t), ships speed v (kts), endurance (hrs) or range in sea miles as well as other specific requirements such as the trade route, main engine type etc. These owners requirement factors are constant and are the basis for computation of the initial preliminary dimensions of the ship calculated usually by empirical formulas derived from data of similar existing ships [2] [3]. In the design of gas carrier ships the total gas tank capacity in  $m<sup>3</sup>$  is usually one of the important inputs. The dimension of the ship estimated at the first design circle stage are length L, Breadth B, Depth D, draft T, main propulsive power P, deadweight Dwt, total tanks capacity for gas cargo Tc, block coefficient  $C_B$  and other form coefficients, hydrostatic particulars and other factors calculable by empirical formulas and methods [4] [5].

The second design circle stage begins with the establishment of the predicted main dimension obtained at the first design stage with respect to optimality and conformity with the similar ship parameters and the owner's requirement. Concerning gas carrier ships the optimum deadweight and optimum power with associated ship speed can be calculated from references [6], [7]. The optimum total gas capacity  $Tc_{opt}$  can be obtained by the method presented in this paper. When the predicted optimum values deviate significantly from the owner's requirement the predicted dimensions are equally adjusted or recalculated before the next design stages continue in the spiral design circle. These next stages relate to ship body lines geometrical design, hydrostatics,

stability, structural design, resistance and powering, sea keeping etc treated in other numerous existing publications.

This work is based on ship principal parameters collected from the internet publications related with details of existing gas carrier ships either advertised on the internet as for sale or otherwise, for 206 existing gas carrier ships. The sources for internet data are published in the author's previous paper [4]. The correlation formula derived from this data, form the resulting governing equations for the method of computation of optimum total tank capacity  $Tc_{opt}$  presented below. The variables and range of ship particulars involved in this work are:

Tank Capacity  $Tc = 381$  to 266000  $m^2$ , ship ships length overall  $L = 59.37$  to 345 m, ships breadth  $B = 10.8$  to 53.8 m, ships depth  $D = 4.5$  to 27 m, draft of ships  $T =$ 3.81 to 12.2 m, block coefficients  $CB = 0.52$  to 0.95, ships designed speed  $v = 10$  to 20 kts, main ship power  $P = 734 T0 21770 Kw$ , deadweights  $Dwt = 963 to 130102 t$ . Other

variables involved are factors derived from the above particulars such as  $B^3$ ,  $\frac{T_c}{T_c}$ , LB,

**LBT** LT  $^{1.5}, L$  $\sqrt{\sqrt{T'}}$ ,  $\sqrt{BT}$ ,  $\sqrt{B\sqrt{T}}$ ,  $B(\sqrt{T})$ ,  $\sqrt{(BD)}$ ,  $(LBT)CB$ , and  $\frac{P}{V}$  $\frac{P}{V}$ . The ship form factors such as  $\frac{L}{B}$  $\frac{1}{B}$ , B

 $\frac{B}{D}, \frac{L}{T}$  $\frac{L}{T}, \frac{B}{T}$  $\frac{B}{T}$ , and others were also investigated in the regression analysis but they did not yield good reliable correlation formulas with total tank capacity Tc. Determination of optimum tank capacity at early stage of the gas carrier ships is important due to the fact that the it will lead to optimum ship form of the ship leading to minimized power and fuel consumption of the vessel and maximized transportation efficiency.

# **2. Methodology**

The Microsoft Excel software with its regression ad-in was used to obtain numerous regression formulas in this work. The mathematics of the regression analysis can be found in text books [8], [9] to mention a few. The regression analysis was on total tank capacity **Tc** of the respective gas carrier ships as the independent Y-axis variables while the other variables or factor introduced above are the independent X-axis variables. The modeling of the regression analysis are: linear  $(Y = m * c)$ , logarithmic  $(Y = m * ln(x) + c)$ , exponential  $(Y = m * e^{cx})$ , power  $(Y = m * x^c)$ ), and polynomial ( $Y = a_n x^n + a_{n-1} x^{n-1} + \ldots a_2 x^2 + a_1 x + a_0$ ) functions where :m, c, a and n are constants but n is not greater than 6. The regression formulas thus derived are sorted depending on their correlation factor and deviations in the scatter diagrams also presented.

The method of application of the selected regression formulas are by substitution of the actual or projected dimensional independent variables to get the desired values of predicted values of the total tank capacity pTc from each of the derived regression formulas. The optimum total tank capacity  $T_{CQPT}$  is the mean of the individual formula values of pTc. That is:

 $T_{COPT} = \sum pT c$  (1)

In other to authenticate the method as well as the formulas, the computed value of  $T_{COPT}$  for each vessel is compared to the actual value of Tank capacity Tc. this is done for 15 numbers of random samples of existing gas carrier ships and the result of this comparison is also presented.

# **3.Results and Discussion**

The extensive regression analysis carried out on the collection of 206 ships parameters resulted in the scatter diagrams and formulas shown in Appendix 1 (fig 1 to 18) These are a selection of numerous correlation formulas of **Tc** and related variables as the dependent variable. The presented selections are made on the basis that their correlation factor  $\mathbb{R}^2$  equal to 0.9 or above. and that deviations are consistently low for each predicted formula for the range of the parameters investigated. The computation of predicted total gas capacity **pTc** using the regression formulas of

Fig1 to Fig.18 is summarized in the Table 1 to Table 6 for a sample of existing gas carrier ships. In these tables the computation for the predicted total gas capacity **pTc** using the regression formulas and their mean value **Tcopt** is shown. This computation was carried out using Microsoft Excel worksheet regression analysis add-in. Each of a total of 15 randomly selected existing gas carrier ships prediction of tank capacity value **pTc** is calculated but only 6 of them are presented in this presentation in Table1 to 6 below in, order to save space. It can be observed that the entire 18 formulas predicted were used to compute **pTc** for vessels of length greater than or equal to 200m (see Table 5 and 6), while a lesser number of formulas are used for the vessels of length less than 200m ( see Table 1 to 4). When the block coefficient  $C_B$  of the selected vessel is unknown the computation of the value of **pTc** by the formula containing block coefficient can be omitted for that particular vessel as is shown in Table 1 and 4.

The mean value of **pTc (predicted value of gas tank capacity (m<sup>3</sup> )** values for a particular ship is the optimum value which is denoted as **Tcopt (optimal gas tank capacity (m<sup>3</sup> )** . The **Tcopt** value is compared with the actual value of the total capacity **Tc** of the vessels to authenticate the method. This comparison is shown for the 15 computed vessels in fig.19. Correlation diagram between the **Tc** and **Tcopt** is shown in fig.20 and has a correlation factor of 0.998 which prove that this method can excellently be used in computation of optimum gas tank capacity for gas carrier ships. Fig. 19 clearly show that the predicted optimum values **Tcopt** predicted by the method presented in this work is very close to existing ship **Tc** values. This is further authenticated by the correlation of the two values as presented in fig. 20. Therefore, this method can be used as criteria for the prediction of optimum gas tank capacities for a projected new ship design when the principal dimensions are known. This method can as well be used to compute the optimum gas tank capacity for reconstruction or conversion of existing ship to gas carrier ship.

In Figures 1, 3, 7, 9,10, and 12 have parabolic shape due the fact their correlation is between cubic numbers on one axis and linear number on the other axis. For instance, in between the volume (tank capacity) and the linear (ships length). Figures 2, 6, 11, 16, and 18, resulted in straight line because of the influence of natural logarithm used to factor the values in the one or both axes. Figures 4, 8, 13, 16, 15, and 17 resulted as expected in straight line plots due the fact that the factors on both axes are equal or close to the same power. The Figure 5 and 14 have non-dimensional components on y-axes hence the shape of the scatter plot is linear. The theoretical reason for the shape of these plots can be subject for advanced explanation by future research works.

## **4.Conclusion**

When the principal dimensions of a projected or existing gas carrier ship design is known, it is important to ascertain the optimum total gas tank capacity of the ship to enable satisfaction of the owners requirement and to optimize the principal ship dimensions at the preliminary design stage. Eighteen formulas were carefully sorted based on their correlation factor  $R^2$  of 0.9and above as well as their deviational pattern. These formulas were derived by regression analysis on parameters of 206 gas carrier ships data using Microsoft Excel add-in. These formulas were used to compute the optimum total gas tank capacities of 15 randomly selected existing gas carrier ships. The results were compared with the actual values of tank capacities of the existing ships in order to check the authenticity of the presented method.

The method proved excellently acceptable for usage to compute the optimum total tank capacity for a projected or existing gas carrier ship up to the correlation factor of  $R^2 = 0.998$  which is an excellent result. This method is applicable to a wide range of sizes of projected or existing design of gas carrier ships of capacity ranging up to 300000m<sup>3</sup> and length of ship up to 400m. The method can be integrated into computer software for the design and development of gas carrier ships.

## **References**

- [1] Robin Gray, (2004) Bulk liquefied gas by sea the early years. The Society of International Gas tanker and Terminal Operation (SIGTTO). www.academic.edu>SIGTTOnewsletter supplement.
- [2] Apostolos Papanikolaou (2014) Ship Design–Methodologies of Preliminary Design. Springer Dordrecht Heidelberg. Pages 14-18
- [3] Peter Gale The Ship Design Process (2003) Ship Design and Construction Vol. 1, Chpt.5 Society of Naval Architects and Marine Engineers –SNAME Pages 5-2 and 5-3.
- [4] Stephen C. DURU, (2022) Empirical Formulas for Design of Gas Carrier Ships. International Journal of Engineering, Applied Sciences and Technology IJEAST Vol. 6 , pages 180 - 195
- [5] Stephen Chidozie Duru and Amula Emomotimi (2022). Application of Cubic Method to Gas Carrier Ships Preliminary Design. International Journal of Advances in Engineering and Management. IJAEM. Vol:4, Issue:5 Pages 889 – 894.
- [6] Stephen Chidozie Duru (2022). Optimum Deadweight Prediction for Gas Carrier Ships Based on Experience from Existing ships. International Research Journal of Modernization in Engineering Technology and Science IRJMETS. Vol. 4 Pages 2382 – 2388.
- [7] Stephen Chidozie Duru and Alexander Okpala (2022) Optimum main Power and Associated Ship Speed for Gas Carrier Ships. International Research Journal of Modernization in Engineering Technology and Science IRJMETS. Vol. 4 Pages 4442 – 4449.
- [8] Douglas C. Montgomery, George C. Runger (2002). Applied Statistics and Probability for Engineers, John Wiley and Sons, Inc, USA Pages 372 – 467.
- [9] Sheldon M. Ross.(2004). Probability and Statistics for Engineers and Scientists. Third edition, Elsevier Academic Press USA 2004. Pages 351 to 508.

Appendix 1 (Fig.1 to 18)

.



Fig. 1. Regression Between Tc and Length L Fig. 2. Regression Between lnTc and Length L









Fig. 5. Regression Between Tc /(LBT) and BFig. 6. Regression Between ln( Tc) and DraftT



S. C. Duru./Advances in Engineering Design Technology 4(3) 2022 pp. 31-40

Fig. 9. Regression Between Tc and  $(L^*T)^1$ . 5. Fig. 10.. Regression Between Tc and  $L/(T^0.5)$ 



Fig. 11. Regression Between  $ln(Tc)$  and  $ln(L*T*C_B)$  Fig. 12. Regression Between Tc and B\*T



Fig. 13. Regression Between Tc and BT)^2 Fig.14.. Regression Between Tc/(LBT)BreadthB(T^0.5)



S. C. Duru./Advances in Engineering Design Technology 4(3) 2022 pp. 31-40

Fig. 15. Regression Between Tc and  $(B*D)^2$  Fig. 16. Regression Between ln(Tc)  $andIn (LBT*C_B)$ 



Fig. 17. Regression Between Tc and Dwt Fig. 18. Regression Between  $ln(Tc)$  and  $ln(P/v)$ 





|             | Vessel Name/ IMO No<br><b>GASCHEM SHINANO/</b> | 114.91     | B<br>16.8                | D<br>11.825        | т<br>6.64           | C <sub>B</sub><br>0.74 |
|-------------|--|------------|--------------------------|--------------------|---------------------|------------------------|
| IMO 9269271 |  | Tc<br>6500 | P<br>4400                | $\mathbf{v}$<br>16 | <b>Dwt</b><br>7413  |                        |
| Eq. No.     | <b>Formula</b>                                 | v          | Y                        | <b>x1</b>          | V <sub>1</sub>      | Tcp                    |
| 1           | $y = 0.001x^{3}.239$                           | Tc         |                          | 114.91             | 4715.188            | 7544.301               |
| 2           | $y = 3.2027x - 6.2701$                         | ln(Tc)     | ln(L)                    | 4.7441492          | 8.9239867           | 7509.970               |
| 3           | $y = 0.2745x^{3}.4461$                         | Tc         | B                        | 16.8               | 4582.2699           | 4582.270               |
| 4           | $y = 1.5433x$                                  | Tc         | $B^{\wedge}3$            | 4741.632           | 7317.7607           | 7317.761               |
| 5           | $y = 0.018x + 0.185$                           | Tc/(LBT)   | B                        | 16.8               | 0.4874              | 6247.708               |
| 7           | $v = 0.0141x^{0.1.7095}$                       | Tc         | LB                       | 1930.488           | 5835.3516           | 5835.352               |
| 9           | $v = 3E-06X^2 + 0.319X$                        | Tc         | $(LT)^{0.1.5}$           | 21076.0323         | 8055.8517           | 8055.852               |
| 11          | $y = 1.9634x - 3.4235$                         | ln(Tc)     | $In(LT.C_B)$             | 6.33615608         | 9.0169088           | 8241.263               |
| 12          | $y = 0.6792x^{2} - 80.767x$                    | Tc         | BT                       | 111.552            | 6359.6676           | 6359.668               |
| 13          | $y = 0.5503x$                                  | Tc         | (BT)^2                   | 12443.8487         | 6847.8499           | 6847.850               |
| 14          | $y = 0.0785x - 0.056$                          | Tc/(LBT)   | $B/\sqrt{T}$             | 6.51966441         | 0.4557936           | 5842.563               |
| 16          | $y = 1.2472x - 2.5722$                         | ln(Tc)     | In (LBT.C <sub>B</sub> ) | 9.15753497         | 8.8490776           | 6967.959               |
| 18          | $v = 1.6413x - 0.4461$                         | ln(Tc)     | ln(P/v)                  | 5.6167711          | 8.7727064           | 6455.620               |
|             |  |            |                          |                    | MEAN pTc            |                        |
|             |  |            |                          |                    | $T_{\text{Copt}}$ = | 6711.18                |

**Table 2.** EXCEL Computation for Prediction of Total Capacity pTc based on the above presented regression analysis formulas for Gas Carrier Ship "GASCHEM SHINANO".

**Table 3** EXCEL Computaion for Prediction of Total Capacity pTc based on the above presented

|         | Vessel Name/ IMO No<br><b>KESWICK/ IMO 9267950</b> | 119.95        | B<br>20                  | D<br>10              | т<br>7.365     | $C_{R}$<br>0.798 |
|---------|--|---------------|--------------------------|----------------------|----------------|------------------|
|         |  | Тc<br>11028.8 | P<br>5970                | $\mathbf{v}$<br>15.9 | Dwt<br>8692    |                  |
| Eq. No. | <u>Formula</u>                                     | v             | ¥                        | x <sub>1</sub>       | V <sub>1</sub> | Tcn              |
|         | $y = 0.001x^{3}.239$                               | Tc            |                          | 119.95               | 5418.534       | 8669.654         |
| 2       | $y = 3.2027x - 6.2701$                             | ln(Tc)        | ln(L)                    | 4.787074989          | 9.061465068    | 8616.7656        |
| 3       | $v = 0.2745x^{0}3.4461$                            | Tc            | B                        | 20                   | 8356.449959    | 8356.4500        |
| 4       | $y = 1.5433x$                                      | Тc            | $B^{\wedge}3$            | 8000                 | 12346.4        | 12346.4          |
| 5       | $y = 0.018x + 0.185$                               | Tc/(LBT)      | B                        | 20                   | 0.545          | 9629.4061        |
| 7       | $v = 0.0141x^{4}1.7095$                            | Tc            | <b>LB</b>                | 2399                 | 8460.203733    | 8460.2037        |
| 9       | $y = 3E-06X^2 + 0.319X$                            | Tc            | $(LT)^{0.1.5}$           | 26257.87069          | 10444.68807    | 10444.6881       |
| 10      | $y = 8E-05x^{4}.7813$                              | Tc            | $1/\sqrt{T}$             | 44.19914585          | 5892.60535     | 5892.60535       |
| 11      | $y = 1.9634x - 3.4235$                             | ln(Tc)        | $In(LT.C_B)$             | 6.558167358          | 9.45280579     | 12743.8718       |
| 12      | $y = 0.6792x^{2} - 80.767x$                        | Tc            | <b>BT</b>                | 147.3                | 11115.97525    | 11115.9752       |
| 13      | $y = 0.5503x$                                      | Tc            | $(BT)^2$                 | 21697.29             | 11940.01869    | 11940.0187       |
| 14      | $y = 0.0785x - 0.056$                              | Tc/(LBT)      | $B/\sqrt{T}$             | 7.369594974          | 0.522513205    | 9232.0951        |
| 16      | $y = 1.2472x - 2.5722$                             | ln(Tc)        | In (LBT.C <sub>B</sub> ) | 9.553899631          | 9.34342362     | 11423.4509       |
| 18      | $y = 1.6413x - 0.4461$                             | ln(Tc)        | ln(P/v)                  | 5.928183097          | 9.283826917    | 10762.5406       |
|         |  |               |                          |                      | MEAN pTc       |                  |

= **Tcopt = 9973.87**

**=**= **Tcopt** 

regression analysis formulas for Gas Carrier Ship "KESWICK".

|        | Vessel Name/IMO No          |          | B             | D            | т                | $C_{B}$   |
|--------|-----------------------------|----------|---------------|--------------|------------------|-----------|
|        | ID 11806                    | 125.8    | 22.7          | 13.1         | 6.77             |           |
|        |                             | Tc       | P             | $\mathbf{v}$ | Dwt              |           |
|        |                             | 14174    | 6000          | 15           | 9098.9           |           |
| Eq No. | <b>Formula</b>              | Υ        | X             | x1           | Y1               | pTc       |
|        | $y = 0.001x^{3}.239$        | Тc       |               | 125.8        | 6322.163         | 10115.46  |
| 2      | $y = 3.2027x - 6.2701$      | ln(Tc)   | ln(L)         | 4.8346933    | 9.213972374      | 10036.386 |
| 3      | $v = 0.2745x^{3}.4461$      | Тc       | B             | 22.7         | 12928.34864      | 12928.349 |
| 4      | $y = 1.5433x$               | Тc       | $B^{\wedge}3$ | 11697.083    | 18052.10819      | 18052.108 |
| 5      | $y = 0.018x + 0.185$        | Tc/(LBT) | B             | 22.7         | 0.5936           | 11475.961 |
| 7      | $y = 0.0141x^{1.7095}$      | Тc       | LВ            | 2855.66      | 11395.91947      | 11395.920 |
| 8      | $y = 0.1007x$               | Тc       | $(LB)^{1.5}$  | 152601.832   | 15367.00448      | 15367.005 |
| 9      | $y = 3E-06X^2 + 0.319X$     | Tc       | $(LT)^{1.5}$  | 24854.4390   | 9781.795448      | 9781.7954 |
| 12     | $y = 0.6792x^{2} - 80.767x$ | Тc       | ВT            | 153.679      | 12104.11811      | 12104.118 |
| 13     | $y = 0.5503x$               | Тc       | (BT)^2        | 23617.23504  | 12996.56444      | 12996.564 |
| 14     | $y = 0.0785x - 0.056$       | Tc/(LBT) | $B/\sqrt{T}$  | 8.72431872   | 0.628859019      | 12157.617 |
| 18     | $y = 1.6413x - 0.4461$      | ln(Tc)   | ln(P/v)       | 5.99146455   | 9.387690761      | 11940.494 |
|        |                             |          |               |              |                  |           |
|        |                             |          |               |              | <b>MACANLATA</b> |           |

**Table 4** EXCEL Computaion for Prediction of Total Capacity pTc based on the above presented regression analysis formulas for Gas Carrier Ship "ID: 11806 HORIZON SHIP BROKERS".

MEAN **pTc**  $=$  **T** $c_{opt}$  = **12107.83** 

**Table 5** EXCEL Computaion for Prediction of Total Capacity pTc based on the above presented regression analysis formulas for Gas Carrier Ship "GAS CAPRICON".

|                | Vessel Name/ IMO No         | L           | B                      | D              | т              | $C_R$     |
|----------------|-----------------------------|-------------|------------------------|----------------|----------------|-----------|
|                | <b>GAS CAPRICON/ IMO:</b>   | 230         | 36.64                  | 20.8           | 10.79          |           |
|                |                             | Tc          | P                      | $\mathbf{v}$   | <b>Dwt</b>     |           |
|                |                             | 78934       | 12360                  | 16.7           | 49999          |           |
| FO.            | <u>Formula</u>              | $\mathbf v$ | $\mathbf{x}$           | x <sub>1</sub> | V <sub>1</sub> | nTc       |
| 1              | $y = 0.0016x^{3}.239$       | Тc          |                        | 230            | 71409.57421    | 71409.57  |
| $\overline{2}$ | $v = 3.2027x - 6.2701$      | ln(Tc)      | ln(L)                  | 5.438079309    | 11.1464366     | 69316.386 |
| 3              | $y = 0.2745x^{3}.4461$      | Тc          | B                      | 36.64          | 67311.50124    | 67311.501 |
| 4              | $y = 1.5433x$               | Тc          | $B^{\wedge}3$          | 49188.81894    | 75913.10428    | 75913.104 |
| 5              | $y = 0.018x + 0.185$        | Tc/(LBT)    | B                      | 36.64          | 0.84452        | 76791.771 |
| 6              | $y = 0.5613x + 5.3126$      | ln(Tc)      | т                      | 10.79          | 11.369027      | 86597.567 |
| 7              | $v = 0.0141x^{0.1.7095}$    | Tc          | <b>LB</b>              | 8427.2         | 72472.74577    | 72472.746 |
| 8              | $y = 0.1007x$               | Tc          | $(LB)$ <sup>^1.5</sup> | 773615.124     | 77903.04299    | 77903.043 |
| 9              | $y = 3E-06X^2 + 0.319X$     | Тc          | $(LT)^{0.1.5}$         | 123630.0147    | 85291.11634    | 85291.116 |
| 10             | $y = 8E-05x^{4}.7813$       | Tc          | $1/\sqrt{T}$           | 70.01919504    | 53165.09235    | 53165.092 |
| 12             | $y = 0.6792x^{2} - 80.767x$ | Tc          | <b>BT</b>              | 395.3456       | 80773.53863    | 80773.539 |
| 13             | $y = 0.5503x$               | Тc          | (BT)^2                 | 156298.1434    | 86010.86833    | 86010.868 |
| 14             | $v = 0.0785x - 0.056$       | Tc/(LBT)    | $B/\sqrt{T}$           | 11.1543622     | 0.819617433    | 74527.394 |
| 15             | $y = 0.1048x$               | Тc          | (BD)^2                 | 580814.7005    | 60869.38062    | 60869.381 |
| 17             | $y = 1.9501x$               | Tc          | Dwt                    | 49999          | 97503.0499     | 97503.050 |
| 18             | $y = 1.6413x - 0.4461$      | ln(Tc)      | ln(P/v)                | 6.606812012    | 10.39766055    | 32782.842 |
|                |                             |             |                        |                | MEAN pTc       |           |

 $=$  **Tc**<sub>opt</sub>  $=$ **73039.93**



**=**=

**Table 6** EXCEL Computaion for Prediction of Total Capacity pTc based on the above presented regression analysis formulas for Gas Carrier Ship "Q-MAX, MOZAH".

# Table 7 Comparison of PREDICTED TOTAL CAPACITY Tcoptand the actual volume of gas transportable by different sizes of Gas Carrier Ships.





Fig. 19 comparison plot for Tc against Tcoptfor 15 existing gas carrier ships with respect to ships length L.



Fig. 20. Regression analysis relationship between Tc and Tcopt.